# A Practical, Typed Variant Object Model <br> Or, How to Stand On Your Head and Enjoy the View 

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## Object Encodings

- Record-Based Encodings


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- Foundation for traditional OO languages


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- Common [Cardelli '84] [Cook '89] ...
- Variant-Based Encodings
- Actor-based languages (Erlang)


## Object Encodings

- Record-Based Encodings
- Foundation for traditional OO languages
- Easier to type
- Common [Cardelli '84] [Cook '89] ...
- Variant-Based Encodings
- Actor-based languages (Erlang)
- Harder to type


## Record-Based Object Encoding

(Scala) (OCaml)
1 object a \{
1 let $\mathrm{a}=\{$
$2\}$
$2\}$

## Record-Based Object Encoding

(Scala)
1 object a \{
val $v=5$
3 \}
(OCaml)

$$
\begin{aligned}
& \text { 1 let a = \{ } \\
& v=r e f 5 \\
& \text { 3 \} }
\end{aligned}
$$

- Object fields are record fields


## Record-Based Object Encoding

(Scala)
1 object a \{ val $\mathrm{v}=5$
def mth (x:Int)
: Int $=\{x+v\}$ def foo(x:Unit)\{\} 6 \}
(OCaml)

## ${ }_{1}$ let $a=\{$

$\mathrm{v}=\mathrm{ref} 5$;
mth $=$ fun self ->
fun $x$-> $x+!s e l f . v ;$
foo $=f u n() \quad->()$
$6\}$

- Object fields are record fields
- Methods are fields with functions


## Record-Based Object Encoding

(Scala)
object a \{
val $v=5$
def mth(x:Int)
:Int $=\{x+v\}$ def foo(x:Unit)\{\}
\};
a.mth (3)
(OCaml)

## ${ }^{1}$ let a = \{

v = ref 5;
mth = fun self ->
fun $x$-> $x+!s e l f . v$ foo = fun () -> ()
6\} in
7 a.mth a 3

- Object fields are record fields
- Methods are fields with functions
- Invocation projects methods


## Record-Based Object Encoding

(Scala)
object a \{ val $v=5$
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:Int $=\{x+v\}$ def foo(x:Unit)\{\}
\};
a.mth (3)
(OCaml)

```
1 let a = \{
2. v = ref 5;
3 mth = fun self ->
fun \(x\)-> \(x+!s e l f . v\)
foo = fun () ->
```

6\} in
7 a.mth a 3

- Object fields are record fields
- Methods are fields with functions
- Invocation projects methods
- We ignore self-hiding for now.


## Duality



## Variant-Based Encoding

(Scala)
1 object a \{
$2\}$
(OCaml)
${ }_{1}$ let $a=$ fun $\mathrm{msg}->$
match msg with

## Variant-Based Encoding

(Scala)
1 object a \{
val $v=5$
3\}
(OCaml)
1 let $\mathrm{v}=\mathrm{ref} 5$ in
2 let $a=$ fun $m s g->$
match msg with

- Fields by closure


## Variant-Based Encoding

(Scala)
1 object a \{
val $\mathrm{v}=5$
def mth (x:Int)
: Int $=\{x+v\}$ def foo(x:Unit)\{\}
$\left.{ }_{6}\right\}$
(OCaml)
1 let $v=r e f 5$ in
2 let $a=f u n m s g->$ match msg with
| 'mth (self,x) ->
$x+!s e l f . v$
|'foo () -> ()

- Fields by closure
- Methods are message handling cases


## Variant-Based Encoding

(Scala)
${ }_{1}$ object a \{
2 val $v=5$
3 def mth(x:Int)
$4 \quad$ :Int $=\{x+v\}$ def foo(x:Unit) \{\}
${ }_{6}$ \};
7 a.mth (3)
(OCaml)
1 let $v=r e f 5$ in
2 let $a=f u n m s g$->
match msg with
| 'mth (self,x) ->
$x+!$ self. $v$
$6 \quad \mid \quad$ 'foo () -> ()
7 in $a(' m t h(a, 3))$

- Fields by closure
- Methods are message handling cases
- Invocation is just message passing


## Variant-Based Encoding

(Scala)
${ }_{1}$ object a \{
2 val $v=5$
3 def mth(x:Int)
$4 \quad$ Int $=\{x+v\}$ def foo(x:Unit) \{\}
6 \};
7 a.mth (3)
(OCaml)
1 let $v=r e f 5$ in
2 let $a=f u n m s g$->
match msg with
| 'mth (self,x) ->
$x+!$ self. $v$
$6 \quad \mid \quad$ 'foo () -> ()
${ }_{7}$ in a ('mth (a,3))

- Fields by closure
- Methods are message handling cases
- Invocation is just message passing
- But this doesn't typecheck!


## Typing Variant Destruction

1 match v with

```
2
3
\[
\left\lvert\, \begin{aligned}
& \text { 'Odd y }->\mathrm{y} \bmod 2=1 \\
& \text { 'Dbl } \mathrm{x} \rightarrow \mathrm{x}+\mathrm{x}
\end{aligned}\right.
\]
```

- Typechecking variant destruction is tricky


## Typing Variant Destruction

1 match v with
| 'Odd y $->y \bmod 2=1$ | 'Dbl $\mathrm{x}-\mathrm{x} \mathrm{x}+\mathrm{x}$

- Typechecking variant destruction is tricky
- Most languages (e.g. Caml) fail on unification


## Typing Variant Destruction

1 match v with
$2^{2} \left\lvert\, \begin{aligned} & \text { 'Odd } y \rightarrow y \bmod 2=1 \\ & \text { 'Dbl } x \rightarrow x+x\end{aligned}\right.$

- Typechecking variant destruction is tricky
- Most languages (e.g. Caml) fail on unification
- Union types


## Typing Variant Destruction

1 match 'Dbl 2 with
$2 . \left\lvert\, \begin{aligned} & \text { 'Odd } y \rightarrow y \bmod 2=1 \\ & 3 \\ & \text { 'Dbl } x \rightarrow x+x\end{aligned}\right.$
0

- Most languages (e.g. Caml) fail on unification
- Union types are insufficient!


## Typing Variant Destruction

1 match 'Dbl 2 with
| 'Odd y $->y \bmod 2=1$ : int!
| 'Dbl x -> x + x

```
- Typechecking variant destruction is tricky
- Most languages (e.g. Caml) fail on unification
- Union types are insufficient!
- Record construction is heterogeneously typed

\section*{Typing Variant Destruction}

1 match 'Dbl 2 with

- Typechecking variant destruction is tricky
- Most languages (e.g. Caml) fail on unification
- Union types are insufficient!
- Record construction is heterogeneously typed
- Variant destruction is not

\section*{Typing the Variant Encoding}

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This can work! We just need...
- A couple new expression forms
- Weakly dependent types
- Precise polymorphism
- A whole-program typechecking pass

\section*{Typing the Variant Encoding}

Our objective: a purely type-inferred variant-based object encoding

This can work! We just need...
- A couple new expression forms
- Weakly dependent types
- Precise polymorphism
- A whole-program typechecking pass
...and then we reap the benefits!

\title{
How We Get It: TinyBang
}

\section*{\& \\ Onions}
(Extensible, type-indexed records)

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\(\chi->\)
Scapes
(Functions with built-in patterns)

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(Extensible, type-indexed records)
\[
\begin{gathered}
\chi-> \\
\text { Scapes }
\end{gathered}
\]
(Functions with built-in patterns)

\section*{Variant-Based Object Encoding}

TinyBang
'dbl \(\mathrm{x}->\mathrm{x}+\mathrm{x}\)
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\section*{Variant-Based Object Encoding}

TinyBang
\[
(' d b l \mathrm{x}->\mathrm{x}+\mathrm{x}) \text { 'dbl } 3
\]
- Methods are scapes: functions with patterns
- Invoke methods by passing messages

\section*{Variant-Based Object Encoding}

TinyBang
```

('dbl x -> x + x) 'dbl 3

```
- Methods are scapes: functions with patterns
- Invoke methods by passing first-class messages

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TinyBang
```

('dbl x -> x + x) 'dbl 3

```
- Methods are scapes: functions with patterns
- Invoke methods by passing first-class messages (just labeled data)

\section*{Many Methods: Onioning Scapes}
'dbl \(x->x+x\)

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```

('dbl x -> $x+x$ ) \&
('odd $y->y \bmod 2==1$ )

```
- Scapes are combined by onioning

\section*{Many Methods: Onioning Scapes}
```

(('dbl x -> x + x) \&
('odd y -> y mod 2 == 1)) ('dbl 2)

```
- Scapes are combined by onioning
- Application finds match

\section*{Many Methods: Onioning Scapes}
\({ }_{1}\left(\left({ }^{6} d b l x->x+x\right)\right.\) \&
('odd \(y \rightarrow y \bmod 2==1)\) ( \({ }^{\prime} d b l 2\) )
\({ }_{1}\) object a \{
2 def dbl(x:Int):Int \(=\{x+x\}\)
3 def pos(y:Int): Boolean \(=\{y \% 2==1\}\)
4 \}
5 a.dbl(2)

\section*{Many Methods: Onioning Scapes}
\(1((6 \mathrm{dbl} x \rightarrow \mathrm{x}+\mathrm{x}) \&\)
\(2(6 \mathrm{odd} \mathrm{y} \rightarrow \mathrm{y} \bmod 2==1))\left(\begin{array}{ll}\text { (dbl } 2)\end{array}\right.\)
\[
\Rightarrow 4
\]
- Scapes are combined by onioning
- Application finds rightmost match (asymmetric)

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\(1((6 \mathrm{dbl} x \rightarrow \mathrm{x}+\mathrm{x}) \&\)
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- Subsumes case expressions

\section*{Many Methods: Onioning Scapes}

1 (('dbl x -> x + x) \&
2 ('odd y \(->\) y mod 2 == 1)) ('dbl 2)
\[
\Rightarrow 4
\]
- Scapes are combined by onioning
- Application finds rightmost match (asymmetric)
- Subsumes case expressions
- Generalizes First-Class Cases [Blume et. al. '06]

\section*{Typing the Onion}
\[
\begin{aligned}
& (6 d b l \mathrm{x}->\mathrm{x}+\mathrm{x}) \& \\
& (6 \text { odd } \mathrm{y} \rightarrow \mathrm{y} \bmod 2==1)
\end{aligned}
\]
('dbl int \(U\) 'odd int) -> (int \(U\) bool)
- Simple union type loses alignment

\section*{Typing the Onion}
\[
\begin{aligned}
& (6 \mathrm{dbl} \mathrm{x}->\mathrm{x}+\mathrm{x}) \& \\
& (6 \mathrm{odd} \mathrm{y} \rightarrow \mathrm{y} \bmod 2==1) \\
& \quad(' \mathrm{dbl} \text { int }->\text { int) \& ('odd int } \rightarrow \text { bool) }
\end{aligned}
\]
- Simple union type loses alignment
- Onion type does not

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\]
- Simple union type loses alignment
- Onion type does not
- Weakly dependent type
- Relies heavily on polymorphism

\section*{Fields}
- Pure variant model: get/set messages

\section*{Fields}
\[
\begin{aligned}
& (' d b l x->x+x) \& \\
& (6 \text { odd } y->y \bmod 2==1) \& \\
& \text { ' } Z 5
\end{aligned}
\]
- Pure variant model: get/set messages
- Hybrid model: variant methods, record fields

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\begin{aligned}
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& (' \text { odd } y->y \bmod 2==1) \& \\
& \text { ' } 5 \quad
\end{aligned}
\]
- Pure variant model: get/set messages
- Hybrid model: variant methods, record fields
- Similar to type-indexed rows [Shields, Meijer '01]

\section*{Fields}
\[
\begin{aligned}
& (6 d b 1 x->x+x) \& \\
& (' \text { odd } y->y \bmod 2==1) \& \\
& \text { ' } \mathrm{Z} 5
\end{aligned}
\]
- Pure variant model: get/set messages
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- Similar to type-indexed rows [Shields, Meijer '01]
- Labels implicitly create cells

\section*{Fields}
\[
\begin{aligned}
{ }^{1} \text { def } 0= & (6 d b l x->x+x) \& \\
& (6 \text { odd } y->y \bmod 2==1) ~ \& ~ \\
2 & { }^{6} Z 5
\end{aligned}
\]
- Pure variant model: get/set messages
- Hybrid model: variant methods, record fields
- Similar to type-indexed rows [Shields, Meijer '01]
- Labels implicitly create cells
- Field access by projection

\section*{Fields}
\[
\begin{aligned}
& { }_{1} \text { def } 0=(6 d b l \mathrm{x} \rightarrow \mathrm{x}+\mathrm{x}) \& \\
& \text { ('odd } y \text {-> } y \bmod 2==1 \text { ) \& } \\
& \text { 'Z } 5 \\
& 4 \text { in ( }{ }^{6} Z \mathrm{z} \text {-> } \mathrm{z} \text { ) o }
\end{aligned}
\]
- Pure variant model: get/set messages
- Hybrid model: variant methods, record fields
- Similar to type-indexed rows [Shields, Meijer '01]
- Labels implicitly create cells
- Field access by projection/pattern match

\section*{Fields}
\({ }_{1}\) def \(0=(6 d b l x->x+x) \&\) ('odd \(y->y \bmod 2==1\) ) \& 'Z 5
4 in ( \({ }^{6} Z \mathrm{z}\)-> z ) o
- Pure variant model: get/set messages
- Hybrid model: variant methods, record fields
- Similar to type-indexed rows [Shields, Meijer '01]
- Labels implicitly create cells
- Field access by projection/pattern match
- But what about self?

\section*{Naïve Self}

1 def ticker =
\[
\begin{aligned}
& \text { 'x } 0 \text { \& } \\
& \text { ('inc_-> }
\end{aligned}
\]
\[
\text { self. } x=\text { self. } x+1 \text { in self. } x \text { ) }
\]
\({ }_{5}\) in ticker 'inc ()

\section*{Naïve Self}
\({ }_{1}\) def ticker \(=\)
\[
' x 0 \text { \& }
\]
('inc _ \& 'self self ->
\[
\text { self. } x=\text { self. } x+1 \text { in self. } x)
\]

5 in ticker 'inc ()
- Add 'self to all parameters

\section*{Naïve Self}
\({ }_{1}\) def ticker =
'x 0 \&
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self. \(\mathrm{x}=\) self. \(\mathrm{x}+1\) in self. x\()\)
5 in ticker 'inc ()
- Add 'self to all parameters
- \& is pattern conjunction

\section*{Naïve Self}
\({ }_{1}\) def ticker =
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self. \(x=s e l f . x+1\) in self. \(x\) )
5 in ticker ('inc () \& 'self ticker)
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- \& is pattern conjunction
- Add 'self to all call sites

\section*{Naïve Self}
\({ }_{1}\) def ticker =
'x 0 \&
('inc _ \& 'self self ->
self. \(x=s e l f . x+1\) in self. \(x\) )
5 in ticker ('inc () \& 'self ticker)
- Add 'self to all parameters
- \& is pattern conjunction
- Add 'self to all call sites
- Be happy?

\section*{Naïve Self: Type Problems}
\[
\begin{aligned}
& { }^{1} \text { def obj = } \\
& 2 \text { if something then } \\
& 3 \text { ('foo _ \& 'self s -> s 'bar ()) \& } \\
& \text { ('bar _ -> 1) } \\
& \text { else } \\
& \text { ('foo _ \& 'self s -> s 'biz ()) \& } \\
& \text { ('az _ -> 2) } \\
& \text { sin obj 'foo () }
\end{aligned}
\]

Naïve Self: Problems
\[
\begin{aligned}
& \alpha_{\text {SELF }}= \\
& \text { ('foo _ \& 'self } \alpha_{1} \text {-> int) \& } \\
& \text { ('bar _ -> int) } \\
& \text { where } \alpha_{1} \text { has 'bar } \\
& \text { U } \\
& \text { ('foo _ \& 'self } \alpha_{2} \text {-> int) \& } \\
& \text { ('baz _ -> int) } \\
& \text { where } \alpha_{2} \text { has 'baz }
\end{aligned}
\]

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\[
\begin{aligned}
& \text { ('foo _ \& 'self } \alpha_{1} \text {-> int) \& } \\
& \alpha_{\text {SeLF }}:>\text { ('bar _ -> int) } \\
& \text { where } \alpha_{1} \text { has 'bar } \\
& \text { ('foo _ \& 'self } \alpha_{2} \text {-> int) \& } \\
& \alpha_{\text {Self }}:>\text { ('baz _ -> int) } \\
& \text { where } \alpha_{2} \text { has 'baz }
\end{aligned}
\]

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- Sealing is permanent

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- Sealing is permanent
- Sealing is meta-theoretic

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- TinyBang

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- Sealing is meta-theoretic
- TinyBang
- Sealing is encodable (no meta-theory)

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- Proper objects: callable but not extensible
- Prototypes can be sealed into proper objects
- Sealing is permanent
- Sealing is meta-theoretic
- TinyBang
- Sealing is encodable (no meta-theory)
- Sealed objects can be extended and resealed

\section*{Sealing in TinyBang}
\({ }_{1}\) def rec seal \(=\) obj ->
2 obj \&

\({ }^{4}\) def point =
'x 2 \& 'y 4 \&
('ll _ \& 'self self -> self.x + self.y) in
\({ }^{7}\) def sealedPoint \(=\) seal point in
\& sealedPoint 'll ()

\section*{Resealing Objects}
\({ }_{2}\) def obj \(=\) seal (
3 'x 0 \&
4 ('inc _ \& 'self self ->
self. \(x=s e l f . x+1\) in self. \(x)\) ) in
\({ }^{6}\) obj 'inc () ; obj 'inc ();
> def extobj = seal (
8 obj \&
\(9 \quad\left(6 d b l ~ \_~ \& ~ ' s e l f ~ s e l f ~->~\right.\)
self. \(\mathrm{x}=\) self. \(\mathrm{x}+\mathrm{self.x}\) in self. x\()\) ) in
\({ }_{11}\) extobj 'dbl (); extobj 'inc ()
\[
x=0
\]

\section*{Resealing Objects}
\({ }_{2}\) def obj \(=\) seal (
3 'x 0 \&
4 ('inc _ \& 'self self ->
self. \(x=\) self. \(x+1\) in self.x)) in
\({ }^{6} \mathrm{obj}\) 'inc (); obj 'inc ();
> def extobj = seal (
8 obj \&
\(9 \quad\left(6 d b l ~ \_~ \& ~ ' s e l f ~ s e l f ~->~\right.\)
self. \(\mathrm{x}=\) self. \(\mathrm{x}+\mathrm{self.x}\) in self. x\()\) ) in
\({ }_{11}\) extobj 'dbl (); extobj 'inc ()
\[
\mathrm{x}=1
\]

\section*{Resealing Objects}
\({ }_{2}\) def obj \(=\) seal (
3 'x 0 \&
4 ('inc _ \& 'self self ->
self. \(x=s e l f . x+1\) in self. \(x)\) ) in
\({ }^{6}\) obj 'inc () ; obj 'inc ();
> def extobj = seal (
8 obj \&
9 ('dbl _ \& 'self self ->
self. \(\mathrm{x}=\) self. \(\mathrm{x}+\mathrm{self.x}\) in self. x\()\) ) in
\({ }_{11}\) extobj 'dbl (); extobj 'inc ()
\[
x=2
\]

\section*{Resealing Objects}
\({ }_{2}\) def obj \(=\) seal (
3 'x 0 \&
4 ('inc _ \& 'self self ->
self. \(\mathrm{x}=\) self. \(\mathrm{x}+1\) in self. x\()\) ) in
\({ }^{6}\) obj 'inc () ; obj 'inc () ;
\({ }^{7}\) def extobj = seal (
8 obj \&
\(9 \quad\left(' d b l ~ \_~ \& ~ ' s e l f ~ s e l f ~->~\right.\)
self. \(\mathrm{x}=\) self. \(\mathrm{x}+\) self. x in self. x\()\) ) in
\({ }_{11}\) extobj 'dbl (); extobj 'inc ()
\[
x=4
\]

\section*{Resealing Objects}
\({ }_{2}\) def obj \(=\) seal (
3 'x 0 \&
4 ('inc _ \& 'self self ->
self. \(\mathrm{x}=\) self. \(\mathrm{x}+1\) in self. x\()\) ) in
\({ }^{6}\) obj 'inc () ; obj 'inc () ;
> def extobj = seal (
8 obj \&
\(9 \quad\left(' d b l ~ \_~ \& ~ ' s e l f ~ s e l f ~->~\right.\)
self. \(\mathrm{x}=\mathrm{self.x}+\operatorname{self.x}\) in self.x)) in
\({ }_{11}\) extobj 'dbl () ; extobj 'inc ()
\[
x=5
\]

\section*{Resealing Objects}

2def obj = seal (...) in
3 obj 'inc () ; obj 'inc ();
\({ }^{4}\) def extobj = seal (...) in
\({ }_{5}\) extobj 'dbl (); extobj 'inc ()

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```

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```

'self obj \& 'self extobj \& 'inc ()

```

\section*{Other Features}
\({ }_{1}\) def point \(=\) seal ('x 0 \& 'y 0 \&
2 ('l1 _ \& 'self self ->
self.x + self.y)) in
def mixin = ('nearZero _ \& 'self self ->
(self 'l1 ()) <= 4) in
6 def mixedPoint \(=\) seal (point \& mixin) in
7 mixedPoint 'nearZero ()
- Mixins

\section*{Other Features}
```

def point $=$... in
2 def mixin = (('nearZero _ \& 'self self ->
(self 'l1 ()) <= 4)) in
${ }_{4}$ def mixedPoint $=$ seal (point \& mixin) in
${ }_{5}$ mixedPoint 'nearZero ()

```
- Mixins
- Higher-order object extension

\section*{Other Features}
```

def obj = seal
'x 0 \& ('inc _ \& 'self self ->
self.x = self.x + 1 in self.x)) in
def obj2 = seal
(obj \&. 'x) \& 'y 0 \&
('inc _ \& 'self self ->
self.y = self.y + self.x in self.y)) in

```
- Mixins
- Higher-order object extension
- Data sharing

\section*{Other Features}
```

    def obj = seal
        'x 0 \&
        ('inc n:int \& 'self self ->
        self. \(\mathrm{X}=\) self. \(\mathrm{x}+\mathrm{n}\) in self.x) \&
        ('inc n:unit \& 'self self ->
        self 'inc 1) in
    7obj ('inc ()) ; obj ('inc 4)

```
- Mixins
- Higher-order object extension
- Data sharing
- Overloading

\section*{Other Features}

\section*{etc.}
- Mixins
- Higher-order object extension
- Data sharing
- Overloading
- Classes, inheritance, etc.

\section*{Type Inference}

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- Soundness is proven over inference system

\title{
Constraint Types
}
int \(\cup\) unit

\section*{Constraint Types}

\section*{int \(\cup\) unit}

I
\(\alpha \backslash\{\) int \(<: \alpha\), unit \(<: \alpha\}\)

\title{
Constraint Closure
}
\[
5+3
\]

\title{
Constraint Closure
}
\[
5+3
\]
\(\alpha_{2}\)

\title{
Constraint Closure
}
\[
5+3
\]


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5+3
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5+3
\]


\section*{Functions}
\[
x \rightarrow x+x
\]

Functions
\[
x->x+x
\]


Functions
\[
x \rightarrow x+x
\]


Functions
\(x->x+x\)


\section*{Functions}
\[
x \rightarrow x+x
\]


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\]


\section*{Application}
\[
(x->x+x) 5
\]

\section*{Application}
\[
(x->x+x) 5
\]

\section*{Application}
\[
(x->x+x) 5
\]
\(\square\)

\section*{Application}
\[
(x->x+x) 5
\]


\section*{Application}
\[
(x->x+x) 5
\]


\section*{Application}
\[
(x->x+x) 5
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\section*{Application}
\[
(x->x+x) 5 \text { : int }
\]


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- Local polymorphism
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- Requires type annotations
- TinyBang uses call-site polymorphism
- Each call site is freshly polyinstantiated
- Recursion reuses variable contours

\section*{Polymorphic Application}
\[
\text { def id }=x->x \text { in (id () \& id 1) }
\]

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\text { def id }=x \rightarrow x \text { in (id () \& id 1) }
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- ...without divergence or exponential blow-up

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Questions?```

