

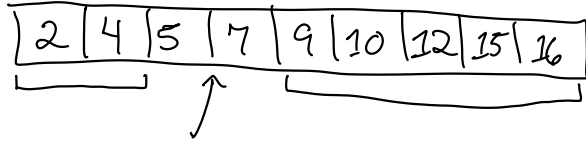
3 aperson 1 pw1
 5 aperson 2 pw2
 7 aperson 3 pw3

List< User * > users

get(0) ← LL O(n) AL O(1)
 get(1)
 ⋮

If my list is sorted: binary search: $O(\log n)$

$n * O(1) = O(n)$



1,000,000,000 users
 $\approx 2^{30}$ users

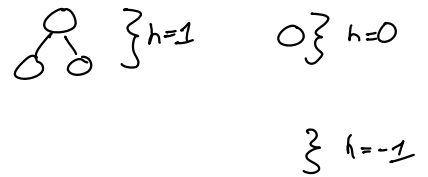
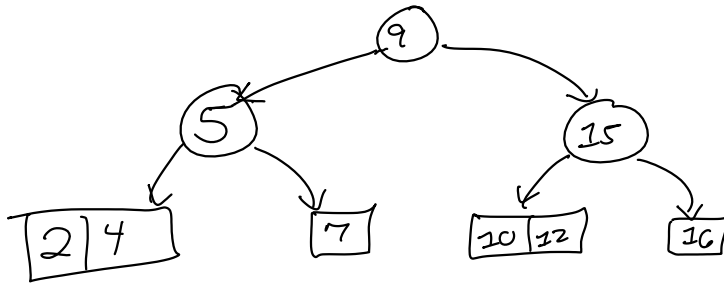
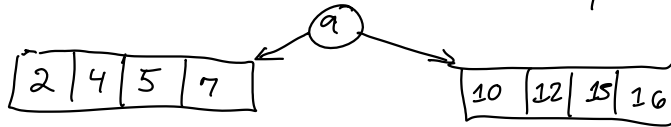
$\frac{O(n)}{1,000,000,000}$

$\frac{O(\log n)}{30}$

Suppose: all new users have # > than existing users:

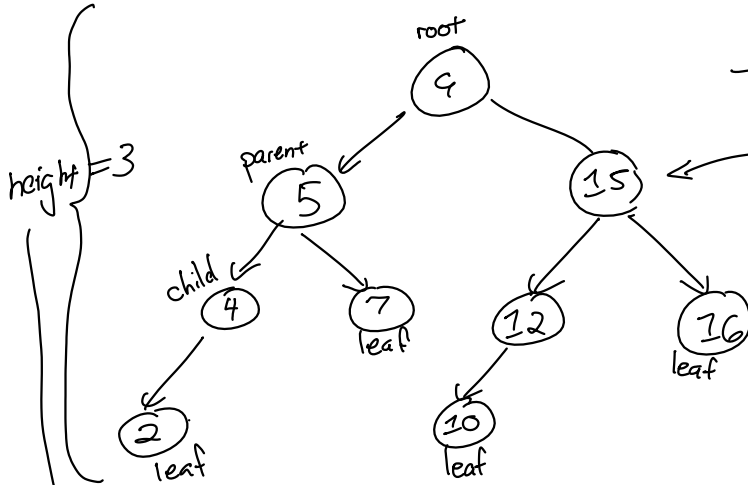
amortized $O(1)$

Suppose: all new users have # > than existing users
 or # exactly in the middle:



Example of a Binary tree:

tree where each node has at most 1 left child & 1 right child



Tree Node

leaf: node w/ no children
 root: the node w/ no parent

Binary Search Tree:

Binary Tree where all left descendants are less, all right descendants are greater

height: # of edges (steps) from root to the furthest leaf

password get(username)

```

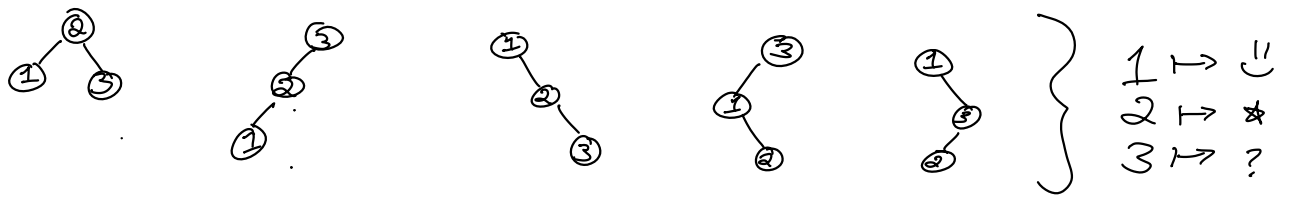
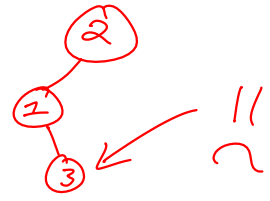
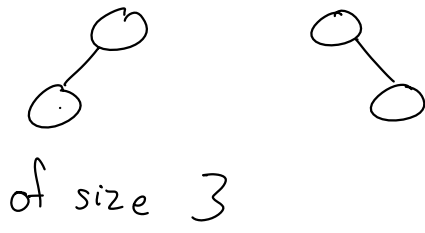
V get(K)
void insert(K, V)
void update(K, V)
V remove(K)
int size()
bool isEmpty()

```

ADT
Dictionary

Binary Search Tree (BST) is a kind of Dictionary
 Linked List is a kind of List

Exercise: all binary trees of size 2



BSTs

invariant: at each node, all

left descendants have lesser key,
right descendants have greater key

Method get(key):

If root == null:

⌋ (throw exception)

End If

node ← findInSubtree(key, root)

Return node.value

End Method

Method findInSubtree(key, root)

If root == null: ⌋

If root.key == key:
Return root

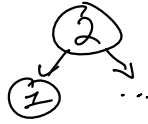
Else If root.key < key:
Return findInSubtree(key, root.right)

Else
Return findInSubtree(key, root.left)

End If
End Method

↓ LinkedBST fields

pointer to root node
size



LinkedBSTNode fields

ptr to left node
ptr to right node
value

key

