

Big O notation

Announcements

- Lab 7 due tomorrow at midnight
 - Ninja session tonight, 7-9pm
- Lab 8 (searching) will be available Sunday

Today

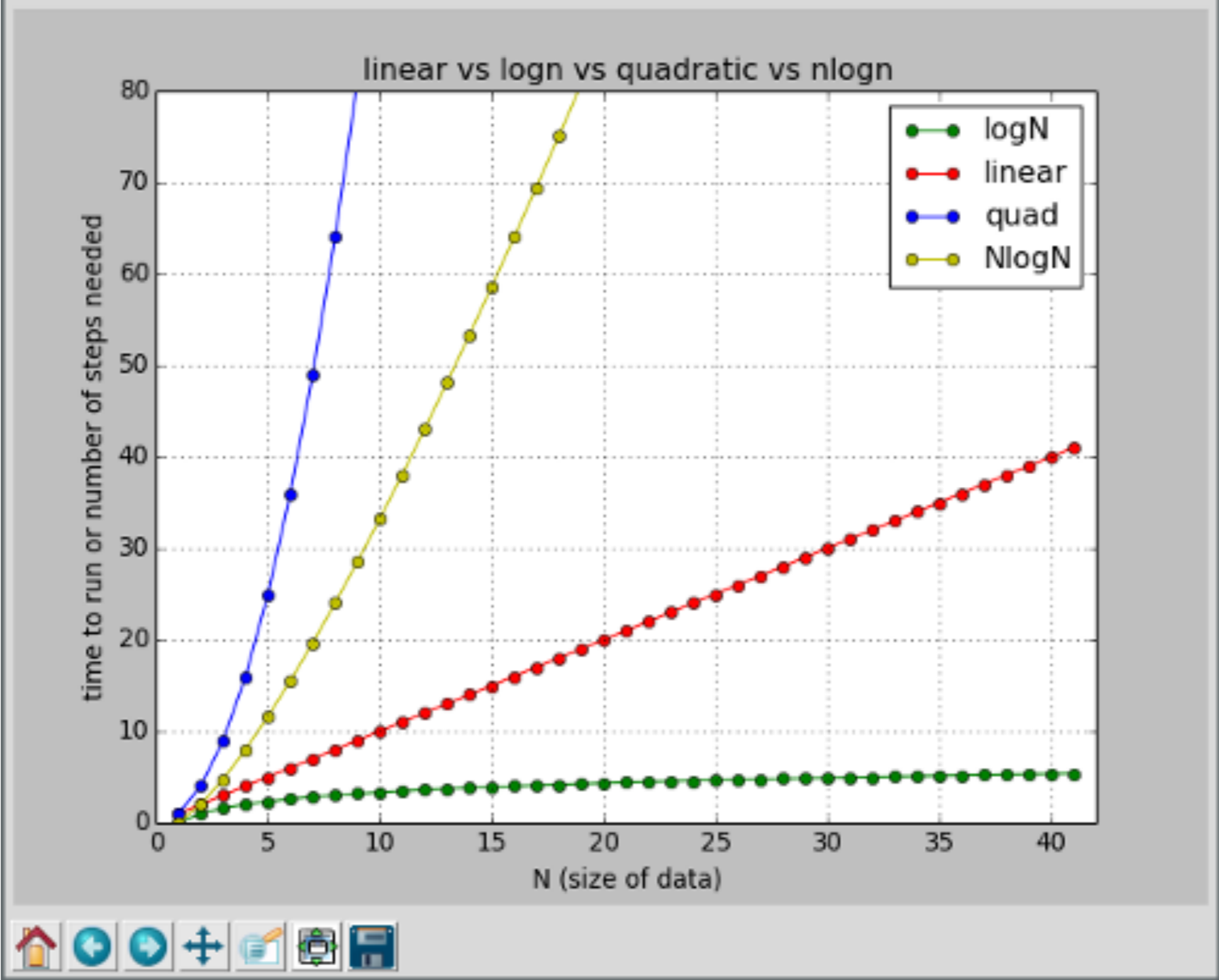
- Review linear search vs. binary search
- Big O notation - worst case asymptotic run time
 - $O(1)$, constant
 - $O(\log n)$, logarithmic
 - $O(n)$, linear
 - $O(n \log n)$, linearithmic
 - $O(n^2)$, quadratic

Final analysis

- Binary search: $O(\log n)$, Linear search: $O(n)$
- Binary search is faster, but only works for sorted lists.
- Linear search is easier to implement and thus less likely to contain a bug. It works for any list. For small lists, the difference in run time isn't noticeable.

Analysis of algorithms

- $O(1)$: **constant** - stays the same as input size increases
- $O(\log n)$: **logarithmic** - proportional to the logarithm of the input size; it increases by a constant amount each time input size doubles
- $O(n)$: **linear** - proportional to the input size; it doubles when the input size doubles
- $O(n \log n)$: **linearithmic** - proportional to the input size times the logarithm of the input size; it more than doubles when input size doubles (but doesn't triple)
- $O(n^2)$: **quadratic** - proportional to the square of the input size; it quadruples when the input size doubles



Examples

- $O(1)$: indexing
- $O(\log n)$: binary search
- $O(n)$: linear search
- $O(n \log n)$: mergesort
- $O(n^2)$: selection sort, insertion sort, bubble sort

You're hosting a party

- Number of guests is input size
- $O(1)$: cleaning your place
- $O(n^2)$: introducing every pair of guests
- $O(\log n)$: slicing the bread
- $O(n)$: serving the bread

Practice classifying algorithms

- <https://www.cs.swarthmore.edu/~mauskop/cs21/s17/practice/9F.html>

Have a nice weekend!