# CS 31: Introduction to Computer Systems 

13-14: Arrays and Pointers<br>March 5



## Reading Quiz

## Today

- Accessing things via an offset
- Arrays, Structs, Unions
- How complex structures are stored in memory
- Multi-dimensional arrays \& Structs


## So far: Primitive Data Types

- We've been using ints, floats, chars, pointers
- Simple to place these in memory:
- They have an unambiguous size
- They fit inside a register*
- The hardware can operate on them directly
(*There are special registers for floats and doubles that use the IEEE floating point format.)


## Composite Data Types

- Combination of one or more existing types into a new type. (e.g., an array of multiple ints, or a struct)


## structs

- Treat a collection of values as a single type:
- C is not an object oriented language, no classes
- A struct is like just the data part of a class
- Rules:

1. Define a new struct type outside of any function
2. Declare variables of the new struct type
3. Use dot notation to access the different field values of the struct variable

## Struct Example

Suppose we want to represent a student type.

```
struct student {
    char name[20];
    int grad_year;
    float gpa;
```

\};
// Variable bob is of type struct student
struct student bob;
// Set name (string) with strcpy()
strcpy(bob.name, "Robert Paulson");
bob.grad_year = 2019;
bob.gpa = 3.1;
printf("Name: \%s, year: \%d, GPA: \%f", bob.name, bob.grad_year, bob.gpa);

## Recall: Arrays

- C's support for collections of values
- Array buckets store a single type of value
- Specify max capacity (num buckets) when you declare an array variable (single memory chunk)


## Recall: Arrays



## Recall: Pointers as Arrays



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## Pointers as Arrays

```
int *iptr = NULL;
iptr = malloc(4 * sizeof(int));
```

Heap

1. Start from the base of iptr.

iptr[0]
iptr[1]
iptr[2]
iptr[3]

## Pointers as Arrays

```
int *iptr = NULL;
iptr = malloc(4 * sizeof(int));
```


## 1. Start from the base of iptr.

$\begin{array}{ll}\text { iptr }[2]=7 ; & \text { 2. Skip forward by } \\ \text { the size of two ints. } & \text { iptr[0] } \\ \text { iptr[1] } \\ \text { iptr[2] } \\ \text { iptr[3] }\end{array}$

## Pointers as Arrays

```
int *iptr = NULL;
iptr = malloc(4 * sizeof(int));
```


## 1. Start from the base of iptr.

iptr [2] = 7; 2. Skip forward by the size of two ints.
3. Treat the result as an int. (Access the memory location like a typical dereference.)

| Heap |  |  |
| :---: | :---: | :---: |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |

## Pointer Arithmetic

- Addition and subtraction work on pointers.
- C automatically increments by the size of the type that's pointed to.


## What is the memory address stored in iptr2?

int *iptr = NULL;
iptr = malloc(4 * sizeof(int));
int *iptr2 = iptr + 3;
A. Mem. address in iptr +12 bytes
B. Mem. address in iptr +3 bytes
C. Mem. address in iptr +4 bytes
D. None of the above

## Pointer Arithmetic

```
int *iptr = NULL;
iptr = malloc(4 * sizeof(int));
```

$1^{\text {st }}$ integer
$2^{\text {nd }}$ integer
$3^{\text {rd }}$ integer
$4^{\text {th }}$ integer

## Pointer Arithmetic

- Addition and subtraction work on pointers.
- C automatically increments by the size of the type that's pointed to.


## While Loop in C

iptr = malloc(...);
sum = 0;
while (i < 4) \{
sum += *iptr;
iptr += 1;
i $+=1$;
\}
moves +1 by size of the data type!


## Let's translate the while loop to assembly

```
    Assume %ecx = base address
    of array
    %eax = sum
    %edx = loop index
    movl $0 eax
    movl $0 edx
loop:
[fill instructions here]
cmpl \$5, \%edx
jne loop
```


## While Loop in C

$$
\begin{aligned}
& \text { iptr }=\text { malloc }(\ldots) ; \\
& \text { sum }=0 ; \\
& \text { while }(i<4) \quad \\
& \text { sum }+=\text { *iptr; } \\
& \text { iptr }+=1 ; \\
& \text { i }+=1 ; \\
& \}
\end{aligned}
$$



Reminder: addition on a pointer advances by that many of the type (e.g., ints), not bytes.

## Pointer Manipulation: Necessary?

- Problem: iptr is changing!
- What if we wanted to free it?

```
iptr = malloc(...);
sum = 0;
while (i < 4) {
    sum += *iptr;
    iptr += 1;
    i += 1;
}
```

cannot call free on iptr since it no longer references the base address of the array!

## Pointer Manipulation: Necessary?

- Problem: iptr is changing!
- What if we wanted to free it?
- What if we wanted something like this:

```
iptr = malloc(...);
sum = 0;
while (i < 4) {
    sum += iptr[0] + iptr[i];
    iptr += 1;
    i += 1;
}
```

Changing the pointer would be really inconvenient now!

## Base + Offset

- We know that arrays act as a pointer to the first element. For bucket [ N ], we just skip forward N .

- "We're goofy computer scientists who count starting from zero."


## Base + Offset

- We know that arrays act as a pointer to the first element. For bucket [ N ], we just skip forward N .

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## Base + Offset

- We know that arrays act as a pointer to the first element. For bucket [ N ], we just skip forward N .


This is why we start counting from zero! Skipping forward with an offset of zero ([0]) gives us the first bucket...

## Which expression would compute the address of iptr[3]?

A. $0 \times 0824+3 * 4$
B. $0 \times 0824+4$ * 4
C. $0 \times 0824+0 x C$
D. More than one (which?)
E. None of these

|  | Heap |
| :--- | :--- |
|  |  |
|  |  |
|  |  |
| 0x0824: | iptr[0] |
| 0x0828: | iptr[1] |
| 0x082C: | iptr[2] |
| 0x0830: | iptr[3] |
|  |  |
|  |  |

## Indexed Addressing Mode

- We want to express accesses like iptr[N], where iptr doesn't change - it's a base.
- Displacement mode works, if we know which offset to use at compile time:
- Variables on the stack: -4(\%ebp)
- Function arguments: 8(\%ebp)
- Accessing [5] of an integer array: 20(\%base_register)
- If we only know at run time?
- How do we express i(\%ecx)?


## Indexed Addressing Mode

- General form:
displacement(\%base, \%index, scale)
- Translation: Access the memory at address...
- base + (index * scale) + displacement
- Rules:
- Displacement can be any 1, 2, or 4-byte value
- Scale can be 1, 2, 4, or 8.


## Example

## ECX: Array base address

Suppose i is at $\% \mathrm{ebp}-8$, and equals 2.

Registers: | \%ecx | $0 \times 0824$ |
| :--- | :--- |
|  | \%edx |

User says:
iptr[i] = 9;


## Example

Suppose i is at $\% \mathrm{ebp}-8$, and equals 2.

Registers: | \%ecx | $0 \times 0824$ |
| :--- | :--- |
|  | \%edx |
|  | 2 |

User says:

$$
\text { iptr[i] }=9 \text {; }
$$

|  | Heap |  |
| :--- | :--- | :--- |
|  |  |  |
|  |  |  |
|  |  |  |
| 0x0824: | iptr[0] |  |
| 0x0828: | iptr[1] |  |
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|  |  |  |

## Example

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| :--- | :--- |
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|  |  |  |
|  |  |  |
|  |  |  |
| 0x0824: | iptr[0] |  |
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| 0x082C: | iptr[2] |  |
| 0x0830: | iptr[3] |  |
|  |  |  |

## Example

Suppose i is at \%ebp - 8 , and equals 2 .

Registers: | \%ecx | $0 \times 0824$ |
| :--- | :--- |
|  | \%edx |
|  | 2 |

User says:

$$
\text { iptr[i] }=9 \text {; }
$$

Heap

Translates to:
movl -8(\%ebp), \%edx
movl $\$ 9,(\% e c x, \% e d x, 4)$
$0 \times 0824+(2 * 4)+0$
$0 \times 0824+8=0 x 082 C$

|  | Heap |
| :--- | :--- |
|  |  |
|  |  |
|  |  |
| 0x0824: | iptr[0] |
| $0 \times 0828:$ | iptr[1] |
| $0 \times 082 \mathrm{C}:$ | iptr[2] |
| $0 \times 0830:$ | iptr[3] |
|  |  |
|  |  |

## Example:

Allowed us to preserve ecx, and compute an offset without changing the pointer to the base of our array

Suppose i is at \%ebp-8, and equals 2.

Registers: | \%ecx | $0 \times 0824$ |
| :--- | :--- |
|  | \%edx |
|  | 2 |

User says:
iptr[i] = 9;

Translates to:
movl -8 (\%ebp), \%edx
movl $\$ 9, \underline{(\% e c x, \% e d x, ~ 4)}$
$0 \times 0824+(2 * 4)+0$
$0 \times 0824+8=0 \times 082 C$

Heap

|  |  |  |
| :--- | :--- | :--- |
|  |  |  |
| 0x0824: | iptr[0] |  |
| 0x0828: | iptr[1] |  |
| 0x082C: | iptr[2] |  |
| 0x0830: | iptr[3] |  |
|  |  |  |

## What is the final state after this code?

addl \$4, \%eax
movl (\%eax), \%eax
sall \$1, \%eax movl \%edx, (\%ecx, \%eax, 2)
displacement(\%base, \%index, scale) base + (index * scale) + displacement

|  | (Initial state) | \%eax |
| :--- | :--- | :--- |
| Registers: | \%ecx | $0 \times 246 \mathrm{C}$ |
|  | \%edx | 7 |
|  |  |  |

Memory:

|  | Heap |
| :--- | :--- |
|  |  |
|  |  |
| $0 \times 2464:$ | 5 |
| $0 \times 2468:$ | 1 |
| $0 \times 246 C:$ | 42 |
| $0 \times 2470:$ | 3 |
| $0 \times 2474:$ | 9 |
|  |  |
|  |  |

## What is the final state after this code?

addl \$4, \%eax
movl (\%eax), \%eax
sall \$1, \%eax
movl \%edx, (\%ecx, \%eax, 2)

| (Initial state) | \%eax | $0 \times 2464$ |
| :--- | :--- | :--- |
| Registers: | \%ecx | $0 \times 246 \mathrm{C}$ |
|  | \%edx | 7 |
|  |  |  |

Memory:

|  | Heap |
| :--- | :--- |
|  |  |
|  |  |
| $0 \times 2464:$ | 5 |
| $0 \times 2468:$ | 1 |
| $0 \times 246 C:$ | 42 |
| $0 \times 2470:$ | 3 |
| $0 \times 2474:$ | 9 |
|  |  |

## Indexed Addressing Mode

- General form:
displacement(\%base, \%index, scale)
- You have seen these probably in your maze.


## Two-dimensional Arrays

- Why stop at an array of ints? How about an array of arrays of ints?
int twodims[3][4];
- "Give me three sets of four integers."
- How should these be organized in memory?


## Two-dimensional Arrays

int twodims[3][4];
for (i=0; $i<3 ; i++$ ) \{
for (j=0; j<4; j++) \{
twodims[i][j] = i+j;
\}
\}

| twodims[0] | [0][0] | [0][1] | [0][2] | [0][3] |
| :---: | :---: | :---: | :---: | :---: |
|  | 0 | 1 | 2 | 3 |
| twodims[1] | [1][0] | [1][1] | [1][2] | [1][3] |
|  | 1 | 2 | 3 | 4 |
|  |  | [2][1] | [2][2] | [2][3] |
| twodims[2] | 2 | 3 | 4 | 5 |

## Two-dimensional Arrays: Matrix

int twodims[3][4];
for (i=0; $i<3 ; i++$ ) \{
for (j=0; j<4; j++) \{
twodims[i][j] = i+j;
\}
\}

| twodims[0] | $\longrightarrow 0$ | 1 | 2 | 3 |
| :---: | :---: | :---: | :---: | :---: |



## Memory Layout

- Matrix: 3 rows, 4 columns

| 0 | 1 | 2 | 3 |
| :--- | :--- | :--- | :--- |
| 1 | 2 | 3 | 4 |
| 2 | 3 | 4 | 5 |

Row Major Order:<br>all Row 0 buckets,<br>followed by<br>all Row 1 buckets

| 0xf260 | 0 | twodim[0][0] |
| :---: | :---: | :---: |
| 0xf264 | 1 | twodim[0][1] |
| 0xf268 | 2 | twodim[0][2] |
| 0xf26c | 3 | twodim[0][3] |
| 0xf270 | 1 | twodim[1][0] |
| 0xf274 | 2 | twodim[1][1] |
| 0xf278 | 3 | twodim[1][2] |
| 0xf27c | 4 | twodim[1][3] |
| 0xf280 | 2 | twodim[2][0] |
| 0xf284 | 3 | twodim[2][1] |
| 0xf288 | 4 | twodim[2][2] |
| 0xf28c | 5 | twodim[2][3] |

## Memory Layout

- Matrix: 3 rows, 4 columns

| 0 | 1 | 2 | 3 |
| :--- | :--- | :--- | :--- |
| 1 | 2 | 3 | 4 |
| 2 | 3 | 4 | 5 |

twodim[1][3]:
base addr + row offset + col offset
twodim $+1 *$ ROWSIZE* $4+3 * 4$
$0 x f 260+16+12=0 x f 27 c$

| 0xf260 | 0 | twodim[0][0] |
| :---: | :---: | :---: |
| 0xf264 | 1 | twodim[0][1] |
| 0xf268 | 2 | twodim[0][2] |
| 0xf26c | 3 | twodim[0][3] |
| 0xf270 | 1 | twodim[1][0] |
| 0xf274 | 2 | twodim[1][1] |
| 0xf278 | 3 | twodim[1][2] |
| 0xf27c | 4 | twodim[1][3] |
| 0xf280 | 2 | twodim[2][0] |
| 0xf284 | 3 | twodim[2][1] |
| 0xf288 | 4 | twodim[2][2] |
| 0xf28c | 5 | twodim[2][3] |

## Memory Layout

- Matrix: 3 rows, 4 columns

| 0 | 1 | 2 | 3 |
| :--- | :--- | :--- | :--- |
| 1 | 2 | 3 | 4 |
| 2 | 3 | 4 | 5 |

twodim[1][3]:
base addr + row offset + col offset
twodim $+1 *$ ROWSIZE* $4+3 * 4$
$0 x f 260+16+12=0 x f 27 c$

| 0xf260 | 0 | twodim[0][0] |
| :---: | :---: | :---: |
| 0xf264 | 1 | twodim[0][1] |
| 0xf268 | 2 | twodim[0][2] |
| 0xf26c | 3 | twodim[0][3] |
| 0xf270 | 1 | twodim[1][0] |
| 0xf274 | 2 | twodim[1][1] |
| 0xf278 | 3 | twodim[1][2] |
| 0xf27c | 4 | twodim[1][3] |
| 0xf280 | 2 | twodim[2][0] |
| 0xf284 | 3 | twodim[2][1] |
| 0xf288 | 4 | twodim[2][2] |
| 0xf28c | 5 | twodim[2][3] |

## Memory Layout

- Matrix: 3 rows, 4 columns

| 0 | 1 | 2 | 3 |
| :--- | :--- | :--- | :--- |
| 1 | 2 | 3 | 4 |
| 2 | 3 | 4 | 5 |

twodim[1][3]:
base addr + row offset + col offset
twodim $+1 *$ ROWSIZE*4 $+3 * 4$
$0 x f 260+16+12=0 x f 27 c$

| 0xf260 | 0 | twodim[0][0] |
| :---: | :---: | :---: |
| 0xf264 | 1 | twodim[0][1] |
| 0xf268 | 2 | twodim[0][2] |
| 0xf26c | 3 | twodim[0][3] |
| 0xf270 | 1 | twodim[1][0] |
| 0xf274 | 2 | twodim[1][1] |
| 0xf278 | 3 | twodim[1][2] |
| 0xf27c | 4 | twodim [1] [3] |
| 0xf280 | 2 | twodim[2][0] |
| 0xf284 | 3 | twodim[2][1] |
| 0xf288 | 4 | twodim[2][2] |
| 0xf28c | 5 | twodim[2][3] |

If we declared int matrix[5][3]; and the base of matrix is $0 \times 3420$, what is the address of matrix[3] [2]?
A. $0 \times 3438$
B. $0 \times 3440$
C. $0 \times 3444$
D. $0 \times 344 \mathrm{C}$
base addr + row offset + col offset or
base addr

+ num cols * data size
+ col offset
E. None of these

